$b - \Delta < f(x) < b + \Delta$ The pixel is on. So this gives a range of  $2\Delta$  for values of f(x). So that the range

When we fix y = b for some constant b, then for x satisfying

Look at the behaviour of f(x) = y when we fix a y and investigate the acceptable range of values x can take while still being within the line of the graph. First fix  $\Delta$  to be the cutoff value where we set a pixel to on given the following holds

 $|f(x) - y| < \Delta$ 

of values for x will often vary along the length of the function. For a particular example look at the function  $f(x) = x^3$  which has an inverse

function 
$$x^{rac{1}{3}}.$$
 
$$b-\Delta < x^3 < b+\Delta$$

 $(b-\Delta)^{\frac{1}{3}} < x < (b+\Delta)^{\frac{1}{3}}$ Giving values of x a range of

 $|(b-\Delta)^{\frac{1}{3}}-(b+\Delta)^{\frac{1}{3}}|$ 

Which gives a large cutoff for b close to zero and a smaller cutoff as b increases.